# Indexicals: Direct Reference or Presupposition? Rob's Festshop

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#### Outline

- From Frege/Russell to Kripke/Kaplan Proper names and indexicals Wide scope The KK argument
- Neo-Descriptivism Referential terms as vdSandtian presuppositions Non-rigid proper names and indexicals Applying KK
- Combining rigidity and presupposition Rigidity and DRT? LDRT2 Presupposition in LDRT2

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- Frege/Russell: meaning = description
  - $[Rob] \approx$  the person called Rob
  - $[\![I]\!] \approx$  the current speaker
- Kripke/Kaplan: meaning = reference
  - $[Rob] \approx$
  - [I] ≈

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  - $[I]^c \approx$  the speaker of  $c \approx$

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  - $[\![\mathrm{I}]\!]^c pprox$  the speaker of c pprox



#### (1) I might have remained silent

• Descriptivist: [(1)] =

• Referentialist:  $[(1)]^c =$ 

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 $\bullet \ \, \mathsf{Descriptivist:} \ \, \llbracket (1) \rrbracket = \ \, \llbracket \mathrm{might} \rrbracket \, (\llbracket \mathrm{silent} \rrbracket \, (\llbracket \mathrm{I} \rrbracket)) =$ 

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- (3) The speaker is speaking
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- Geurts'97: Rob  $\rightsquigarrow \begin{bmatrix} x \\ rob(x) \end{bmatrix}$
- Hunter&Asher'05:  $I \sim \frac{1}{1} \frac{x}{1} \frac{1}{1}$  speaker(x)
  - wide scope follows from general, pragmatic presupposition projection
  - unified account of all definites (pronouns, def.descr, names...)
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## Non-rigid proper names

- (4) If a child is christened Bambi, and if Disney Inc. hear about it, they will sue Bambi's parents (Geurts'97)
  - · non-global binding
- (5) If presidents were elected by alphabetical order, Aaron Aardvark might have been president (Bach'87)
  - non-global accommodation

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- Heim: feature deletion/binding under morphological agreement
- Neo-Descriptivist alternative: presupposition binding?

#### Bound indexicals?

#### (6) Only I did my homework

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   (Only I)[\(\hat{l}\)\)(\text{x} \times \text{did x's homework}\)
- Neo-Descriptivist alternative: presupposition binding?

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- (6) Only I did my homework (⊨ Janneke didn't do hers)
  - Heim: feature deletion/binding under morphological agreement
     (Only I)[\(\lambda \times x\) did x's homework]
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- instead of referring directly, Amharic I can be bound by an attitude context
- Schlenker, von Stechow,...:
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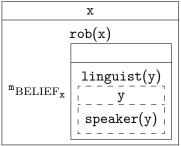
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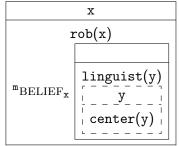
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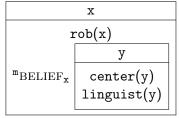
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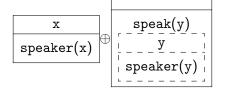
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Referential terms as vdSandtian presuppositions Non-rigid proper names and indexicals Applying KK

# Zeevat applies the KK test



```
speaker(x)
speak(y)
speaker(y)
```

```
x
speaker(x)

speak(y)
y := x

speaker(y)
```

#### (2) I am speaking

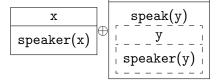
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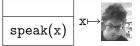
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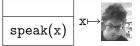
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# Kamp's external anchors



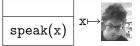
- anchors restrict possible embeddings: rigidity guaranteed
- objections:
  - where is the 'linguistic meaning' of I ( $\approx$  the speaker of the context)?
    - what is the theoretical status of anchors? (meta-language)

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- represent different types of information at separate layers, connected by discourse referents.
  - Kripke/Kaplan-layer: indexicals, names,...
  - Frege-layer: "what is said", asserted content
- (2) I am speaking

  x
  speaker(x)
  speak(x)

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# Layered semantics: the basic ingredients

- all semantic notions relativized to a layer
  - iff there is an embedding g s.t.:
    - g extends f
    - g maps  $\varphi$ 's discourse referents into the domain
    - $\varphi$ 's DRS conditions are verified in world w, w.r.t. g

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- 'what is said' by  $\varphi$  in  $c = \llbracket \varphi \rrbracket^c =$ 
  - evaluate red layer in c:  $\|\varphi\|_c$
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f :x→the speaker of c

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$$f: x \mapsto the speaker of c$$

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- Zimmermann's Hypothesis L: "lexical items are always deictic or absolute"
  - compositionally generated PrelDRS bipartitioned into Fregean and Kripke/Kaplan layers

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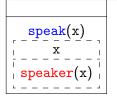
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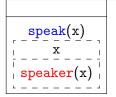
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- Layer Faithfulness: resolve presuppositions in their own layer
- predictions:
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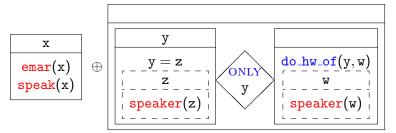
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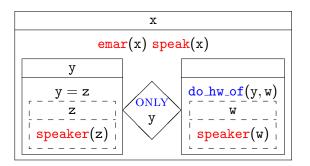
Х

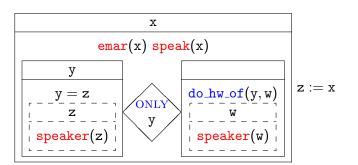
emar(x)

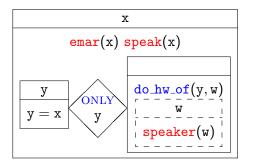
speak(x)

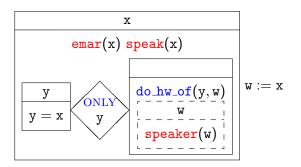


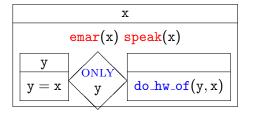
( $\approx$  only those ys that are equal to z did w's homework)

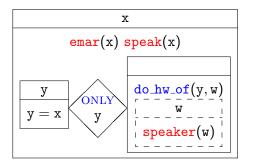


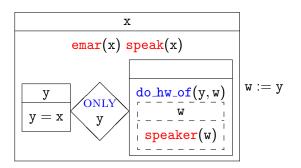


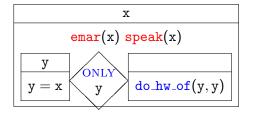




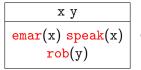


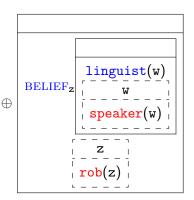




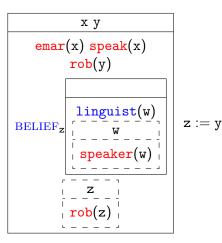


x y
emar(x) speak(x)
rob(y)





```
х у
   emar(x) speak(x)
        rob(y)
         linguist(w)
BELIEF,
```



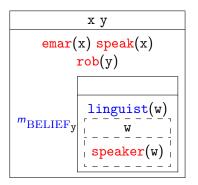
```
emar(x) speak(x)
rob(y)

BELIEFy
linguist(w)
speaker(w)
speaker(w)
```

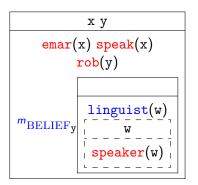
```
х у
   emar(x) speak(x)
        rob(y)
         linguist(w)
BELIEF_v
```

```
ху
  emar(x) speak(x)
       rob(y)
BELIEFy
        linguist(x)
```

```
iff \mathcal{B}el(f(y), w) \subseteq \mathbb{Q}
iff every belief alternative c \in [\varphi]
```



$$\llbracket^m \text{BELIEF}_y \varphi \rrbracket_w^f = 1$$
iff  $\mathcal{B}el(f(y), w) \subseteq \backslash \backslash \varphi \backslash \backslash$ 
iff every belief alternative  $c \in \llbracket \varphi \rrbracket^c$ 

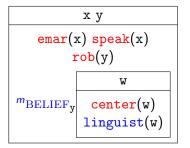


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iff  $\mathcal{B}el(f(y), w) \subseteq \backslash \backslash \varphi \backslash \backslash$ 
iff every belief alternative  $c \in \llbracket \varphi \rrbracket^c$ 

```
mBELIEFy

center(w)

center(w)
```



( $\approx$  Rob believes to inhabit a context whose center is a linguist)

#### Conlusions

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- descriptivism:
  - unified account of definites as presuppositions
    - no wide scope stipulation
    - compositional PreIDRS
  - 2LDRT instead of anchors
  - account for (rare) bound readings
    - only as generalized quantifier
    - · attitudes as monsters
- referentialism:
  - 2D semantics to pass KK
  - Hypothesis L

Open question: how to account for the more flexible proper name resolution? tweak Layer Faithfulness or Hypothesis L?



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